ENG01

# **UNIVERSITY OF BOLTON**

# **SCHOOL OF ENGINEERING**

# BENG (HONS) ELECTRICAL & ELECTRONICS ENGINEERING

# SEMESTER 1 2023/2024 EXAMINATION

# INTERMEDIATE ELECTRICAL PRINCIPLES & ENABLING POWER ELECTRONICS

# MODULE NO: EEE5013

Date: Wednesday 10th January 2024

Time: 10:00am – 12:30pm

**INSTRUCTIONS TO CANDIDATES:** 

There are FIVE questions.

Answer <u>ANY FOUR</u> questions.

All questions carry equal marks.

Marks for parts of questions are shown in brackets.

Electronic calculators may be used provided that data and program storage memory is cleared prior to the examination.

CANDIDATES REQUIRE:

Formula Sheet (attached).

### **Question 1**

a) consider the following signal processing circuit shown on Figure Q1a:

[15 marks]

- i) Derive an equation for  $V_{out}$ , if the applied signal, Vin=0.01 sin(1000t).
- ii) Sketch the input and output waveforms, indicating the period/amplitude with appropriate values.
- iii) If the calculated value for the output signal is; Vout = -2 mV, calculate the positive value time (*t*) to achieve this.

C=10nF Vin Figure Q1a. Signal processing circuit Q1 CONTINUES OVER THE PAGE PLEASE TURN THE PAGE

#### Q1 is continued

b) Consider the Integrator Op Amp shown on Figure Q1b. Determine

[10 marks]

- i) the cut-off frequency
- ii) zero-dB frequency
- iii) Explain the suitable frequency for the Op Amp to be used as an integrator.



## **Question 2**

- a) Define the heat sink and give its benefits.
- b) A silicon transistor having a T<sub>JMAX</sub> rating of 190° C will dissipate 30 W when its case temperature is 70°C, calculate its thermal resistance. [3 marks]
- c) If the silicon transistor in (part b) is mounted to a heatsink of thermal resistance 3.5°
   C/W, calculate the maximum collector dissipation by assuming both transistor and heatsink operate at an ambient temperature 25°C. [4 marks]
- d) Consider a rectangular container is full of a water of density ρ = 1000 kg/m<sup>3</sup>. The container dimensions are length (a = 8 cm), width (b = 4 cm) and height (h = 6 cm). The top end of the container is open to atmosphere. Calculate the total power at the:
  - i)base[2 marks]ii)side of dimensions (a×h)[6 marks]iii)side f dimensions (b×h)[4 marks]

Total 25 marks

[6 marks]

## **Question 3**

- (a) Explain with the aids of diagrams the operation of a single-phase half-wave rectifier. [10 marks]
- (b) A half-wave single-phase rectifier circuit is shown in **figure Q3** below. The following are given:

Vs=220 V, f=50 Hz, diode forward voltage drop is assumed to be zero. Load resistor=8  $\Omega$ , Determine:

i. The load mean voltage and current

#### [7 marks]

- ii. The load current ac component and shape for
  - 1. A pure resistive load of 8  $\Omega$  resistor and

- [4 marks]
- 2. An inductive load of 0.1 H inductance in series with the 8  $\Omega$  resistor

[4 marks]



Fig. Q3 A single-phase half-wave rectifier circuit

Total 25 marks

## Question 4

(a) Draw a circuit diagram for a buck converter and derive an expression for  $\frac{v_{out}}{v_{in}}$ 

defining all parameters used in this circuit.

(b) Prove that the line current of a balanced delta-connect load is equal to the phase current multiplied by square root of 3 and lags it by 30 degrees.

[10 marks]

[15 marks]

## Total 25 marks

#### **Question 5**

(a) Calculate the line voltages and the line currents of a  $\Delta$ -Y Connection. Given:  $V_{ab} = 150 \ge 30^{\circ}$  and  $V_{bc}=150 \ge -90^{\circ}$ . The system impedance are given as follows:

Z<sub>line</sub>=0.4+j0.8 Ω, Z<sub>load</sub>=20+j15 Ω

## [13 Marks]

b) Assume a star-connected load, with each leg Z =  $5 \angle 25^{\circ} \Omega$ , is supplied from a star-connected 3-phase supply with voltage of 0.6 kV (L-L) source. Find:

i. The complex power of the source and load.

[9 marks]

[3 marks]

The power factor at the load.

Total 25 marks

## END OF QUESTIONS

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#### Formula sheet

These equations are given to save short-term memorisation of details of derived equations and are given without any explanation or definition of symbols; the student is expected to know the meanings and usage.

Converters: %THD<sub>i</sub> = 100 ×  $\frac{I_{\text{dis}}}{I_{\text{cl}}}$  $= 100 \times \frac{\sqrt{I_s^2 - I_{s1}^2}}{I_s}$  $-\cos u = \omega L_s I_d$  $= 100 \times \sqrt{\sum \left(\frac{I_{sh}}{I_{sh}}\right)}$  $= 1 - \frac{\omega L_s I_d}{\sqrt{2} V}$  $PF = \frac{V_s I_{s1} \cos \phi_1}{V_s I_s} = \frac{I_{s1}}{I_s} \cos \phi_1$  $V_d = 0.45V_s - \frac{\text{area } A_u}{2\pi} = 0.45V_s - \frac{\omega L_s}{2\pi} I_d$  $DPF = \cos \phi_1$ DPI PF = $V_d = 1.35 V_{LL} \cos\alpha - 3 \frac{\omega L_s}{\pi} I_d$  $\cos(\alpha + u) = \cos \alpha - 2 \frac{\omega L_s}{\sqrt{2}V_{L_s}} I_d$  $\gamma = 180 - (\alpha + u)$ 

$$V_{dx} = \frac{1}{T} \int_{0}^{T} v_{L}(t) dt$$

$$TUF = \frac{P_{dx}}{V_{x}I_{x}} = \frac{V_{dx}I_{dx}}{V_{x}I_{x}}$$

$$RF = \frac{V_{dx}}{V_{dx}}$$

$$\alpha = \frac{P_{dx}}{P_{L}} = \frac{V_{dx}T_{dx}}{V_{L}I_{L}}$$

$$FF = \frac{V_{L}}{V_{dx}} \text{ or } \frac{I_{L}}{I_{dx}}$$

$$V_{dx} = \frac{1}{2\pi} \int_{\alpha}^{\pi} V_{max} \sin(\omega t) d(\omega t) = \frac{V_{max}}{2\pi} (1 + \cos \alpha)$$

$$V_{ph} = V, \ I_{ph} = I \ for \ star \ connection,$$

$$V_{ph} = V, \ I_{ph} = \frac{I}{\sqrt{3}} \ for \ delta \ connection$$

$$S = \sqrt{3}VI \ V.A. \ P = \sqrt{3}VIcos\theta \ W. \ Q = \sqrt{3}VIsin\theta \ V.A. \ r$$

$$Q_{c} = \sqrt{3}VI_{c} \ V.A. \ r, \ X_{c} = \frac{V}{\sqrt{3}L_{c}} \ \Omega$$

Three-phase systems

$$R_1$$
  $R_2$   $R_2$   $R_3$   $R_4$   $R_5$   $R_6$   $R_6$ 

Delta to Star conversion:

$$a$$
  
 $a$   
 $a$   
 $a$   
 $R_1$   
 $R_2$   
 $R_2$   
 $R_3$   
 $R_1$   
 $R_2$   
 $R_3$ 

Star to Delta conversion:

Gravity:

Thermal resistance of the interface material:

Output voltage of a differentiator circuit:

Compressibility relationship:

General manometer:

$$R_{a} = \frac{R_{1}R_{2}}{R_{1} + R_{2} + R_{3}}$$

$$R_{b} = \frac{R_{2}R_{3}}{R_{1} + R_{2} + R_{3}}$$

$$R_{c} = \frac{R_{2}R_{3}}{R_{1} + R_{2} + R_{3}}$$

$$R_{c} = \frac{R_{3}R_{1}}{R_{4} + R_{2} + R_{3}}$$

$$R_{1} = \frac{R_{a}R_{b} + R_{b}R_{c} + R_{c}R_{a}}{R_{b}}$$

$$R_{2} = \frac{R_{a}R_{b} + R_{b}R_{c} + R_{c}R_{a}}{R_{c}}$$

$$R_{3} = \frac{R_{a}R_{b} + R_{b}R_{c} + R_{c}R_{a}}{R_{a}}$$
9.81 m/s<sup>2</sup>

$$\theta_{cs} = \frac{(\rho)(t)}{A}$$

$$\theta = \frac{\Delta T}{P}$$

$$\nu_{0} = -R_{2}C_{1}\frac{d\nu_{I}}{dt}$$

$$K = -V \frac{d P}{d V}$$
$$\Delta P = | \Delta \rho g \Delta h |$$
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Venturi meter:  $v_{\rm in} = C_D$  $d_{\text{large}}$ Force on a submerged wall: pgah Drag coefficient: C<sub>Drag</sub>  $\rho v^2 A$ Flow through a small hole:  $\frac{2\Delta P}{A}$  $C_{D}$ Flow through a rectangular slit:  $C_D W\sqrt{2g} \left| (Ho+L)^{\frac{3}{2}} - Ho^{\frac{3}{2}} \right|$ Tank draining:  $h^{\frac{1}{2}} = h_0^{\frac{1}{2}} - \frac{C_D a \sqrt{2g}}{24} t$ Flow over a rectangular weir:  $Q = \frac{2}{3}C_D W \sqrt{2g} H^{\frac{3}{2}}$ Flow over a V-notch weir:  $Q = \frac{8}{15} C_D \tan(\theta/2) (2g)^{\frac{1}{2}} H^{\frac{3}{2}}$ Poisseuille's Law:  $Q = -\frac{\pi}{128\,\mu} \frac{dP}{dx} D^4$ Darcy's Law:  $\Delta P = \frac{2f L\rho \overline{u}^2}{D}$ PLEASE TURN THE PAGE

# Summary of phase and line voltages/currents for balanced three-phase systems.<sup>1</sup>

<b>Connection</b>	Phase voltages/currents	Line voltages/currents
Y-Y	$\mathbf{V}_{an} = V_p / 0^\circ$	$\mathbf{V}_{ab} = \sqrt{3} V_p / 30^\circ$
	$\mathbf{V}_{bn} = V_p / -120^{\circ}$	$\mathbf{V}_{bc} = \mathbf{V}_{ab} / -120^{\circ}$
	$\mathbf{V}_{cn} = V_p / +120^\circ$	$\mathbf{V}_{ca} = \mathbf{V}_{ab} / + 120^{\circ}$
	Same as line currents	$\mathbf{I}_a = \mathbf{V}_{an} / \mathbf{Z}_{\mathbf{Y}}$
		$\mathbf{I}_b = \mathbf{I}_a / -120^{\circ}$
		$\mathbf{I}_c = \mathbf{I}_a / +120^{\circ}$
$Y-\Delta$	$\mathbf{V}_{an} = V_p / \underline{0^{\circ}}$	$\mathbf{V}_{ab} = \mathbf{V}_{AB} = \sqrt{3}V_p / 30^\circ$
	$\mathbf{V}_{bn} = V_p / -120^{\circ}$	$\mathbf{V}_{bc} = \mathbf{V}_{BC} = \mathbf{V}_{ab} / -120^{\circ}$
	$\mathbf{V}_{cn} = V_p / +120^{\circ}$	$\mathbf{V}_{ca} = \mathbf{V}_{CA} = \mathbf{V}_{ab} / (+120^{\circ})$
	$\mathbf{I}_{AB} = \mathbf{V}_{AB} / \mathbf{Z}_{\Delta}$	$\mathbf{I}_a = \mathbf{I}_{AB}\sqrt{3/-30^\circ}$
	$\mathbf{I}_{BC} = \mathbf{V}_{BC} / \mathbf{Z}_{\Delta}$	$\mathbf{I}_b = \mathbf{I}_a / -120^\circ$
	$\mathbf{I}_{CA} = \mathbf{V}_{CA} / \mathbf{Z}_{\Delta}$	$\mathbf{I}_c = \mathbf{I}_a / + 120^{\circ}$
$\Delta$ - $\Delta$	$\mathbf{V}_{ab} = V_p / 0^\circ$	Same as phase voltages
	$V_{bc} = V_p / -120^{\circ}$	
	$V_{ca} = V_p / (+120^{\circ})$	
	$\mathbf{I}_{AB} = \mathbf{N}_{ab}/\mathbf{Z}_{\Delta}$	$\mathbf{I}_a = \mathbf{I}_{AB} \sqrt{3/-30^2}$
	$\mathbf{I}_{BC} = \mathbf{V}_{bc} / \mathbf{Z}_{\Delta}$	$\mathbf{I}_b = \mathbf{I}_a / -120$ $\mathbf{I}_a = \mathbf{I}_a / +120^\circ$
	$\mathbf{I}_{CA} - \mathbf{V}_{ca}/\mathbf{L}_{\Delta}$ $\mathbf{V}_{a} - \mathbf{V}_{a}/0^{\circ}$	$\mathbf{I}_c - \mathbf{I}_a / \pm 120$
	$\mathbf{V}_{ab} = V_p / 0$ $\mathbf{V}_{ab} = V / -120^{\circ}$	Same as phase voltages
	$\mathbf{V}_{bc} = \mathbf{V}_{p/-120^{\circ}}$ $\mathbf{V}_{ca} = \mathbf{V}_{p/+120^{\circ}}$	
	cu p <u></u>	$V_{n}/-30^{\circ}$
	Same as line currents	$\mathbf{I}_a = \frac{\nu}{\sqrt{3}\mathbf{Z}_{ii}}$
		$\mathbf{I}_{h} = \mathbf{I}_{a} / -120^{\circ}$
		$\mathbf{I}_{c} = \mathbf{I}_{a} \underline{/+120^{\circ}}$

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