# **UNIVERSITY OF BOLTON**

# **OFF CAMPUS DIVISION**

# WESTERN INTERNATIONAL COLLEGE FZE

# **BENG(HONS) CIVIL ENGINEERING**

# **TRIMESTER TWO EXAMINATION 2021/2022**

# **ADVANCED STRUCTURAL ANALYSIS AND DESIGN**

## MODULE NO. CIE6001

Date: Tuesday 26th April 2022

Time: 10:00am – 1:00pm

### **INSTRUCTIONS TO CANDIDATES:**

There are <u>FIVE</u> questions on this paper.

Answer <u>ANY FOUR</u> questions.

All questions carry equal marks.

Marks for parts of questions are shown in brackets.

This examination paper carries a total of 100 marks.

Formula sheet / supplementary information is provided at the end of question paper.

All working must be shown. A numerical solution to a question obtained by programming an electronic calculator will not be accepted.



**Figure Q1** shows a T-shaped pre-stressed concrete beam section. The beam contains **twelve** pre-stressing strands (12.7mm diameter) at an average height of 150mm from the bottom of the beam.

The beam supports a parking area and so the proportion of the variable load to be considered in the quasi permanent loading condition is 0.6. In service, the beam is simply supported over a span of 8m and carries the following loads:

Permanent load (including beam self-weight)	35 kN/m
Variable load	50 kN/m
Characteristic breaking load of one strand	184 kN

Q1 continued over the page

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Q1 continued			
Initial pre-stres	S	70% of	UTS
Pre-stress loss	es	25% of	initial pre-stress
Concrete stren	gth at transfer	fck	= 40 N/mm <sup>2</sup>
Concrete stren	gth in service	fck	= 55 N/mm <sup>2</sup>
Limiting stresse	es in concrete:		
At transfer	0.6 f <sub>ck</sub> in compression:	1 N/mm² in	tension
In service	0.45  ck in compression:	3 80 N/mm <sup>2</sup>	in tension
a) Calculate	the stresses in the concrete	at the top and	d bottom of the beam:
(i)	At transfer;		
	$\langle \rangle$		(9 marks)
(ii)	In service under quasi-per	manent loads	
. ,			(6 marks)
b) Draw the	e distribution of stress over th	he height of the	e beam
(i)	At transfer;		
			(2.5 marks)
(ii)	In service under quasi-peri	manent loads	
			(2.5 marks)
c) Compare	the calculated values of stre	ss in the conc	rete with the limiting values
of stress	in the concrete:		Ũ
(i) at tran	sfer: (ii) in service under qua	si-permanent	loads
		- Permanont	
Commen	t on the adequacy of the bea	ım.	

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### Q2

a) Figure Q2(a) shows the section of an internal steel column UKC 254x254x132
to be used in a multi story building. The column has pinned boundary conditions at each end; and the inter storey height is 5m.

By using the EC3 method, assess the suitability of the section to resist an ultimate design axial compressive load of 2800Kn.

(18 marks)



Euler Critical load

$$N_{cr} = \frac{\pi^2 EI}{l_{cr}^2}$$

Design method and data sheet for buckling of columns to EC3 are attached at the end of this paper.

Q2 continued over the page

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### Q 2 continued

b)

**Figure Q2(b)** shows a pin ended real strut made of steel strip 30mm x 4mm having a length equal to 150 mm. The strut has a small initial curvature causing a departure of  $y_0 = 0.6$  mm at its mid length. If an axial load of 5.5 KN is applied to the strut compute the average stress in the strut.



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Q3



#### Figure Q3

**Figure Q3** shows a rigid-jointed frame ABCDE consists of the beam BD of span 7m and columns of height 4m (Column AB) and 6m (Column DE). The columns are fixed at the base. The frame carries a vertical point load 70 kN, 3m away from B and a horizontal point load at B as depicted in **Figure Q3**.

a) Find the values of plastic moment which correspond to the following collapse mechanisms:

(i) Plastic hinges at B, C and D

(6 marks)

Plastic hinges at A, D and E

(ii)

(6 marks)

(iii) Plastic hinges at A, B,D and E

(6 marks)

b) Draw the bending moment diagram for the most critical of the collapse mechanisms in part (a), showing values at A, B, C, D and E.

(7 marks)

**Total 25 marks** 

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#### Q4

The L shaped bracket shown in **Figure Q4(a)** and **Q4(b)** is connected to a steel column 310mm deep with 8 Nos M20 grade 8.8 bolts. The bracket is formed from UB 409 x 178 x 74 kg/m steel section with the following properties:

Web thickness	9.7mm
Flange thickness	16mm
Depth of section	412.9mm
Width of section	179.7mm

A factored vertical load 70 kN is applied at the location shown in the plan view of the bracket.

(i) What is the out of plane moment in the bolt group?

(2.5 marks)

(ii) What is the in plane moment in the bolt group?

(2.5 marks)

(iii) What are the tension and the shear in the four bolts in bolt rows b1 and b3?

(15 marks)

(iv)Comment on the adequacy of the specified bolts.

(5 marks)

Total 25 marks

Q 4 continued over the page



SHOWING SETTING OUT OF BOLTS

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**Figure Q5** shows the section of a composite steel/concrete beam. The E value of the steel is 205 kN/mm<sup>2</sup> and the E value of the concrete is 13.3 kN/mm<sup>2</sup>. The beam is simple supported over a span of 5.5m and carries the following factored uniformly distributed loads:

During construction (steel section alone carries loads) 10kN/m Dead Load + 15kN/m Imposed Load In service (Loads are carried by the composite action) 15kN/m Dead Load + 18kN/m Imposed Load

(i) Find the maximum working stress and maximum deflection of the beam during construction.

#### (5 marks)

(ii) Transform the composite section to an equivalent steel beam. Find the position of the neutral axis, the value of the moment of inertia, I<sub>y,comp</sub>, and the values of elastic section modulus, W<sub>el,y,comp</sub>, for the transformed beam.

### (12 marks)

Q5 continued over the page

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#### Q5 continued

(iii) For the in-service condition, find the maximum stress in the steel, the maximum stress in the concrete and the maximum deflection of the composite beam

(5 marks)

(iv)Check whether the stresses in steel and concrete are within the allowable limits. (3 marks)

Total 25 marks

#### DATA

The central deflection of a simply supported beam carrying a uniformly distributed load

w per unit length is given by:

S		$5wL^4$
0	_	384 <i>EI</i>

## END OF QUESTIONS

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### Extracts from Eurocode 3: Design of steel structures

#### 6.3 Buckling resistance of members

#### 6.3.1 Uniform members in compression

#### 6.3.1.1 Buckling resistance

(1) A compression member shall be verified against buckling as follows:

 $\frac{N_{Ed}}{N_{b,Rd}} \le 1,0$ (6.46) where  $N_{Ed}$  is the design value of the compression force  $N_{b,Rd}$  is the design buckling resistance of the compression member. (3) The design buckling resistance of a compression member should be taken as:  $N_{b,Rd} = \frac{\chi A f_{Y}}{\gamma_{M1}}$ for Class 1, 2 and 3 cross-sections (6.47)

$N_{b,Rd} = \frac{\chi A_{eff} f_y}{\gamma_{M1}}$	for Class 4 cross-sections		(6.48)
1112		,	

where  $\chi$  is the reduction factor for the relevant buckling mode.

NOTE For determining the buckling resistance of members with tapered sections along the member or for non-uniform distribution of the compression force second-order analysis according to 5.3.4(2) may be performed. For out-of-plane buckling see also 6.3.4.

(4) In determining A and  $A_{\text{eff}}$  holes for fasteners at the column ends need not to be taken into account.

#### 6.3.1.2 Buckling curves

whe

(1) For axial compression in members the value of  $\chi$  for the appropriate non-dimensional slenderness  $\overline{\lambda}$  should be determined from the relevant buckling curve according to:

	$\chi = \frac{1}{\phi + \sqrt{\phi^2 - \overline{\lambda}^2}} \text{ but } \chi \le 1, 0$	(6.49)	
ere	$\Phi = 0, 5 \left[1 + \alpha \left(\overline{\lambda} - 0, 2\right) + \overline{\lambda}^2\right]$		
	$\overline{\lambda} = \sqrt{\frac{A f_y}{N_{cr}}}$ for Class 1, 2 and 3 cross-sections		
	$\overline{\lambda} = \sqrt{\frac{A_{eff} f_{y}}{N_{cr}}}$ for Class 4 cross–sections		
	$\alpha$ is an imperfection factor		
	N <sub>cr</sub> is the elastic critical force for the relevant buckling mode based on the gross sectional properties.	cross	

(2) The imperfection factor  $\alpha$  corresponding to the appropriate buckling curve should be obtained from Table 6.1 and Table 6.2.

Table 6.1 - Imperfection factors for buckling curves

Buckling curve	ao	а	b	с	d	
Imperfection factor $\alpha$	0,13	0,21	0,34	0,49	0,76	

(3) Values of the reduction factor  $\chi$  for the appropriate non-dimensional slenderness  $\overline{\lambda}$  may be obtained from Figure 6.4.

(4) For slenderness  $\overline{\lambda} \leq 0, 2$  or for  $\frac{N_{Ed}}{N_{cr}} \leq 0, 04$  the buckling effects may be ignored and only cross-sectional checks apply.

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	,				Buckling curve	
	Cross section	Limits		Buckling about axis	S 235 S 275 S 355 S 420	S 460
			t <sub>f</sub> ≤ 40 mm	y – y z – z	a b	a <sub>0</sub> a <sub>0</sub>
sections	yy	; q/h	40 mm < $t_f \le 100$	y – y z – z	b c	a a
Rolled s		≤ 1,2	$t_f \le 100 \text{ mm}$	y – y z – z	b c	a a
	ż b	₹ q/y	t <sub>f</sub> > 100 mm	y – y z – z	d , d	c c
ded tions			t <sub>f</sub> ≤ 40 mm	y – y z – z	, b c	b c
Wel I sec	y		t <sub>f</sub> > 40 mm	y – y z – z	c d	c d
llow tions			hot finished cold formed		а	a <sub>0</sub>
PHO Sec					с	с
sections		generally (except as below)		any	ь	b
Welded box		thic	k welds: a > 0,5t <sub>f</sub> b/t <sub>f</sub> < 30 h/t <sub>w</sub> <30	any	с	с
U, T and solid sections		(	- 	any	с	с
L sections				any	b	b

#### Table 6.2 — Selection of buckling curve for a cross-section

END OF SUPPLEMENTARY INFORMATION END OF PAPER